

This is a draft of a cheat paper for KeY. Take with care.

Java Card DL Syntax

Formulas

The table below relates KeY syntax with the standard textbook syntax. The greek letters φ, ϕ, ψ denote Java DL formulas.

KeY	Textbook	Remarks
true, false	tt, ff	truth values
$p(t_1, \dots, t_n)$	$p(t_1, \dots, t_n)$	atomic formula
$!\phi$	$\neg\phi$	negation
$\phi \& \psi$	$\phi \wedge \psi$	conjunction
$\phi \psi$	$\phi \vee \psi$	disjunction
$\phi \rightarrow \psi$	$\phi \rightarrow \psi$	implication
$\phi \leftrightarrow \psi$	$\phi \leftrightarrow \psi$	equivalence
$\backslash\text{if } (\varphi)$ $\backslash\text{then } (\phi)$ $\backslash\text{else } (\psi)$	—	conditional formula evaluates to ϕ if φ holds to ψ otherwise
$\backslash\text{forall } T x; \phi$	$\forall x:T. \phi$	universal quantification over elements of type T
$\backslash\text{exists } T x; \phi$	$\exists x:T. \phi$	existential quantification over elements of type T
$\{\mathcal{U}\}\phi$	$\{\mathcal{U}\}\phi$	update application (see Sect. <i>Updates</i>)
$\backslash\langle\{p\}\rangle\phi$	$\langle p \rangle\phi$	diamond modality (total correctness) with statement list p and formula ϕ
$\backslash[\{p\}]\phi$	$[p]\phi$	box modality (partial correctness) with statement list p and formula ϕ

Reserved predicate symbols

Some predefined predicates:

Symbol	Remarks
$\cdot \doteq \cdot$	equality
$\cdot < \cdot, \cdot \leq \cdot, \cdot > \cdot, \cdot \geq \cdot$	inequalities
<code>inReachableState</code>	true in states reachable by a Java program
<code>arrayStoreValid(ar, el)</code>	true if the element el can be stored in the array referenced by ar without causing an <code>ArrayStoreException</code>

Terms

Terms are sorted and recursively defined as usual.

KeY	Textbook	Remarks
$f(t_1, \dots, t_n)$	$f(t_1, \dots, t_n)$	f function symbol, t_1, \dots, t_n terms of compatible sort
$\{\mathcal{U}\}t$	$\{\mathcal{U}\}t$	update application (see Sect. <i>Updates</i>)
$\backslash\text{if } (\varphi)$ $\backslash\text{then } (t_1)$ $\backslash\text{else } (t_2)$	—	conditional term evaluates to t_1 if φ holds, to t_2 otherwise
$(T)t$	—	cast term t to type T

Reserved function symbols

<i>Arithmetics</i>		
Prefix	In-/Postfix	Remark
<code>add(\cdot, \cdot)</code>	$\cdot + \cdot$	addition on \mathbb{Z}
<code>sub(\cdot, \cdot)</code>	$\cdot - \cdot$	subtraction on \mathbb{Z}
<code>mul(\cdot, \cdot)</code>	$\cdot * \cdot$	multiplication on \mathbb{Z}
<code>div(\cdot, \cdot)</code>	\cdot / \cdot	division on \mathbb{Z}
<code>mod(\cdot, \cdot)</code>	$\cdot \% \cdot$	modulo on \mathbb{Z}
<code>jdiv(\cdot, \cdot)</code>		Java division (rounds towards 0), but on \mathbb{Z}
<code>jmod(\cdot, \cdot)</code>		Java modulo, but on \mathbb{Z}
<code>divJint(\cdot, \cdot)</code>		Java division resp. <code>int</code> bounds

Attributes and Arrays

Prefix	In-/Postfix	Remark
	$o.a@T$	attribute access term (access attribute a declared in T of object o); $@(\cdot)$ can be omitted if no hiding
	$ar[idx]$	array access term evaluating to the element stored at index idx in array ar

Other Interpreted Function Symbols

Prefix	Remark
null	Javas null constant (only element of type Null)
TRUE, FALSE	constants of type boolean with the obvious interpretation
$T::instance(o)$	boolean typed function evaluating to TRUE if o is an instance of type T

Updates

The general form of a single quantified update in KeY

$$\underbrace{\backslash\text{for } T \ x; \text{opt } \backslash\text{if}(\varphi)_{\text{opt}} \text{loc} := \text{val}}_u$$

where φ is Java Card DL formula, loc a program variable, attribute or array access expression and val a term. The quantification and condition part are optional.

Two updates u_1, u_2 of the above form can be composed in parallel

$$u_1 || u_2$$

Application of an update on a formula or term results again in a formula resp. term (see formula/term definition).

Programs

An instance of the logic Java Card DL is always defined wrt. a context program declaring all classes and interfaces.

Programs used in Java Card DL formulas are actually lists of Java Card statements that are treated exactly as if inside a static method of a class in the default package.

Java Card DL extends Java Card *only* by two additional statements:

The Method-Frame statement surrounds a method body when it is inlined during a method invocation. The method-frame captures information like the current scope (**source**) and optionally, if not static, the receiver (**this**) of the method call and, if not void, the variable that is assigned the return value:

```
method-frame( result->program variable,
             source=classname,
             this=reference) : {
    statement list
}
```

The Method Body statement is a placeholder for an actual method body implementation. For example, dynamic dispatching a method results in an **if** cascade and instead of immediately inlining the different method bodies in each branch the method body statement is used. Its syntax is:

$$\text{resultVar} = \text{receiver.m}(arg_1, \dots, arg_n) @ T$$

where T denotes the type of the concrete method *implementation*.

Contracts and Invariants

Contracts

A contract $\mathcal{C}_m := (pre, post, mod, term. marker)$ for a method m consists of

- a Java Card DL formula pre expressing the contracts precondition,
- a Java Card DL formula $post$ expressing the contracts postcondition,
- a set of locations mod that might be changed and
- a termination marker $term. marker$ indicating if the contract asserts termination or not.

Contracts are usually specified in JML or OCL, but can also be expressed in Java Card DL with a KeY problem file description (short: *dotkey* file).

— KeY —

```
\contracts {
  uniqueContractName {
    \programVariables {
      ResultType result;
      ReceiverType receiver;
      FirstArgType arg1;
      ...
    }

    pre ->
    \<{
      result = receiver.m(arg1,...,argN)@T
    }\> post
    \modifies { locations }
    \displayname "user - friendly name"
  }
}
```

— KeY —

If the contract should not guarantee termination, use box modality instead of diamond modality.

The pre-state value of an attribute a declared in type T can be accessed in postconditions via $T::a@pre(o)$ resp. $ar[idx]@pre$ if the prestate value

of ar at index idx is accessed. *Attention:* $@pre$ does not cause evaluation of a , ar or idx in the pre-state.

If a method throws an exception, it is possible to specify also the exceptional case in a contract:

```
— KeY —
\contracts {
  uniqueContractName {
    \programVariables { ... }
    pre ->
    \<{
      #catchAll(java.lang.Throwable exc) {
        result = receiver.m(arg1,...,argN)@T
      }
    }\> (
      (exc = null -> postnormal) &
      (exc != null -> postexceptional)
    )
    \modifies { locations }
    \displayname "user - friendly name"
  }
}
```

— KeY —

Invariants

An invariant can be expressed in a similar way like contracts in KeY problem files.

— KeY —

```
\invariants(pkg.Class1 self) {
  invariant1 {
    self.attribute != null & ...

    \displayname "My1first1invariant"
  };

  invariant2 {
    self.attribute2 != null & ...
  };
}
```

— KeY —

The invariant section must be declared after the `\contracts` section, if one exists. There can be arbitrary many invariant sections.